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Physics mock test 8 2022-23

Time: 75 Min Phy: Full Portion Paper Marks: 200

Hints and Solutions

01) Ans: **C)** 4:1

Sol: Using,
$$V_{\text{big}} = n^{2/3} v_{\text{small}} \Rightarrow \frac{V_{\text{Big}}}{v_{\text{small}}} = (8)^{2/3} = \frac{4}{1}$$

02) Ans: **C)** 9 m/s

Sol: Wave velocity,
$$v = v\lambda = \left(\frac{54}{60}\right) \times 10 = 9 \text{ m/s}$$

03) Ans: **A)** $\sqrt{a} : \sqrt{b}$

Sol: Here,
$$h = \frac{1}{2}gt^2 \Rightarrow t = \sqrt{2h/g}$$

$$\therefore t_a = \sqrt{\frac{2a}{g}} \text{ and } t_b = \sqrt{\frac{2b}{g}} \implies \frac{t_a}{t_b} = \sqrt{\frac{a}{b}}$$

04) Ans: **D)** (111101)₂

Sol: Here,

$$(100010)_2 = 2^5 \times 1 + 2^4 \times 0 + 2^3 \times 0 + 2^2 \times 0 + 2^1 \times 1 + 2^0 \times$$

= $32 + 0 + 0 + 0 + 2 + 0 = (34)_{10}$

and
$$(11011)_2 = 2^4 \times 1 + 2^3 \times 1 + 2^2 \times 0 + 2^1 \times 1 + 2^0 \times 1$$

= $16 + 8 + 0 + 2 + 1 = (27)_{10}$

:. Sum,
$$(100010)_2 + (11011)_2 = (34)_{10} + (27)_{10} = (61)_{10}$$

2	61	Remainder
2	30	1 LSD
2	15	0
2	7	1
2	3	1
2	1	1
	0	1 MSD

:. Required sum (in binary system) $(100010)_2 + (11011)_2 = (111101)_2$

05) Ans: **B)** 5 seconds

Sol: Force(F)=6N;

Initial velocity (u)=0;

Mass (m)=1 kg and final velocity (v)=30 m/s.

Therefore acceleration $(a) = \frac{F}{m} = \frac{6}{1} = 6 \,\text{m/s}^2$ and

final velocity $(v)=30=u+at=0+6\times t$ or t=5 seconds.

06) Ans: **C)** 0.50Ω

Sol: Here,
$$r = \left(\frac{l_1 - l_2}{l_1}\right) R = 0.5 \Omega$$
.

07) Ans: **D)** both (2) and (3).

08) Ans: **C)** 1.5

Sol: For dark fringe at P,

$$S_1P - S_2P = \Delta = (2n - 1)\lambda / 2$$

Now, here n = 3 and λ = 6000

$$\therefore \ \Delta = \frac{5\lambda}{2} = 5 \times \frac{6000}{2} \implies \Delta = 15000 \text{ Å} = 1.5 \text{ micron}$$

09) Ans: **D)** Proportionality between restoring force and displacement from equilibrium position Sol: As we know, F = -kx.

10) Ans: **C)** $T_1 > T_3 > T_2$

Sol: From the Wien's law, $\lambda_m \propto \frac{1}{T}$ and from the figure $(\lambda_m)_1 < (\lambda_m)_3 < (\lambda_m)_2$. Thus, $T_1 > T_3 > T_2$.

11) Ans: **D)** Zero

12) Ans: **B)** 3:2

Sol: Suppose two cells have emfs ϵ_1 and ϵ_2

(also $\varepsilon_1 > \varepsilon_2$). Potential difference per unit length of the potentiometer wire = k (say)

When ε_1 and ε_2 are in series and support each other then

$$\varepsilon_1 + \varepsilon_2 = 50 \times k$$

...(i)

When ε_1 and ε_2 are in opposite direction

$$\varepsilon_1 - \varepsilon_2 = 10 \times k$$

(ii)

On adding equation (i) and equation (ii)

$$2\epsilon_1 = 60k \Rightarrow \epsilon_1 = 30k$$
 and $\epsilon_2 = 50k - 30k = 20k$

$$\therefore \frac{\epsilon_1}{\epsilon_2} = \frac{30k}{20k} = \frac{3}{2}$$

13) Ans: **C)** the angular speed of the earth will increase.

Sol: If radius of earth decreases then its moment of inertia also decreases.

As
$$L = I\omega : \omega \propto \frac{1}{I}$$
 (L is constant.)

It means angular velocity of the earth will increase.

14) Ans: **D)** $5.0 \pm 11\%$

Sol: Given, Weight in air = (5.00 ± 0.05) Newton and Weight in water = (4.00 ± 0.05) Newton

Loss of weight in water = (1.00 ± 0.1) Newton

Relative density =
$$\frac{\text{weight in air}}{\text{weight lossinwater}}$$

Relative density =
$$\frac{5.00 \pm 0.05}{1.00 \pm 0.1}$$

Thus, relative density with max. permissible error

$$= \frac{5.00}{1.00} \pm \left(\frac{0.05}{5.00} + \frac{0.1}{1.00}\right) \times 100$$

Max. permissible error = $5.0 \pm (1+10)\% = 5.0 \pm 11\%$

15) Ans: **B)** μA

Sol: As the ray emerges normally, thus e=0. According to relation $A+\delta=i+e$, we get $i=A+\delta$. \therefore By $\delta=(\mu-1)A$, we get $i=\mu A$.

Sol: We know, $C = \frac{\epsilon_0 A}{d}$. As $A \rightarrow \frac{1}{2}$ times and $d \rightarrow 2$ times,

$$\therefore C \rightarrow \frac{1}{4} \text{ times } \Rightarrow C' = \frac{1}{4}C = \frac{12}{4} = 3 \mu F$$

17) Ans: **D)** 324 Hz

Sol: From given problem, n_A =?, n_B = Known frequency = 320 Hz

x = 4 bps, which remains same after filling. Unknown fork A is filed, thus $n_A \uparrow$.

$$\therefore n_A \uparrow - n_B = x \rightarrow Wrong$$

 $n_B - n_A \uparrow = x \rightarrow Correct$

$$\Rightarrow$$
 n_A = n_B - x = 320 - 4 = 316 Hz.

This is the frequency before filling. But in question frequency after filing is asked which must be greater than 316 Hz, such that it produces 4 beats per second. therefore it is 324 Hz

18) Ans: **C)** 1:1

Sol: As work done does not depend on time.

19) Ans: **D)** 22, 18

Sol: From given,

Number of protons = 2 + 2 + 6 + 2 + 6 = 18 and Number of neutrons = 40 - 18 = 22.

20) Ans: **D)** 1 ohm

Sol: Current,

$$i = \frac{V}{R} \implies 2 = \frac{6}{\frac{6 \times 3}{6 + 3} + R} = \frac{6}{2 + R} \implies R = 1 \Omega$$

21) Ans: **D)** 16 times

Sol: As we know,

Work = Force × Displacement (length)

Therefore from the above relation, if unit of force and length be increased by four times then the unit of energy will increase by 16 times.

22) Ans: **C)** 27

Sol: In the given reaction, x + 1 = 24 + 4 $\Rightarrow x = 27$

23) Ans: **D)** 12:1

Sol: The angular velocity of the minute hand,

$$\omega_{min} = \frac{2\pi}{60} \, \frac{Rad}{min}$$

and the angular velocity of the hour hand,

$$\omega_{hr} = \frac{2\pi}{12 \times 60} \frac{\text{Rad}}{\text{min}} \quad \therefore \quad \frac{\omega_{min}}{\omega_{hr}} = \frac{2\pi / 60}{(2\pi / 12) \times 60}$$

24) Ans: **D)**
$$\frac{800}{9}$$
 V

Sol: Initially potential difference across each

capacitor is
$$V_1 = \frac{20}{(10+20)} \times 200 = \frac{400}{3} V$$

and
$$V_2 = \frac{10}{(10+20)} \times 200 = \frac{200}{3} V$$

and finally common potential is $V = \frac{C_1V_1 + C_2V_2}{C_1 + C_2}$

$$\Rightarrow V = \frac{10 \times \frac{400}{3} + 20 \times \frac{200}{3}}{(10 + 20)} = \frac{800}{9} V$$

25) Ans: A) minimum potential energy.

26) Ans: **C)** $p \neq 0$, $E \neq 0$

Sol: EM waves carry momentum and thus can exert pressure on surfaces. They also transfer energy to the surface, therefore $p \neq 0$ and $E \neq 0$.

27) Ans: A) decrease.

28) Ans: **C)**
$$\sqrt{\frac{4\pi M}{i}}$$

Sol: Magnetic moment of circular loop carrying current is given by $M = IA = I(\pi R^2)$

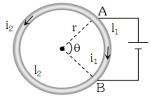
$$\Rightarrow M = I \pi \left(\frac{L}{2\pi}\right)^2 = \frac{I L^2}{4\pi} \ \Rightarrow L = \sqrt{\frac{4\pi M}{I}}$$

29) Ans: **D)** Zero

Sol: Directions of currents in two parts are different, so directions of magnetic fields due to these currents are opposite. Also applying Ohm's law across AB

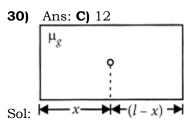
$$i_1R_1 = i_2R_2 \Rightarrow i_1l_2 = i_2l_2$$
 (As, $R = \rho \frac{1}{A}$)

Also,
$$B_1 = \frac{\mu_o}{4\pi} \times \frac{i_1 l_1}{r^2}$$
 and $B_2 = \frac{\mu_o}{4\pi} \times \frac{i_2 l_2}{r^2}$ (:1 = r θ)



$$\Rightarrow \frac{B_2}{B_1} = \frac{i_1 l_1}{i_2 l_2} = 1$$

Therefore, two field inductions are equal but of opposite direction. So, resultant magnetic induction at the centre is zero and is independent of θ .



Here $\mu=1.5$

l = length of the slab

x = position of air bubble from one side As per question, total apparent length of slab -5+3

or
$$\frac{\mathbf{x}}{\mu} + \frac{(l-\mathbf{x})}{\mu} = 8$$
 or $\frac{l}{\mu} = 8$

$$1 = 8\mu = 8 \times 1.5 = 12 \text{ cm}$$

31) Ans: **B)** 150 K

Sol: Here, we have,

$$\begin{aligned} &\frac{T_2}{T_1} = \left(\frac{P_2}{P_1}\right)^{\frac{\gamma - 1}{\gamma}} \Rightarrow \frac{T_2}{T_1} = \left(\frac{1}{8}\right)^{\frac{1.5 - 1}{1.5}} = \left(\frac{1}{8}\right)^{\frac{1}{3}} = \frac{1}{2} \\ &\Rightarrow T_2 = \frac{T_1}{2} = \frac{300}{2} = 150 \text{ K} \end{aligned}$$

32) Ans: **A)** 100°C

Sol: 100°C

33) Ans: **D)**
$$\frac{1}{2\pi f (2\pi f L + R)}$$

Sol:
$$\tan \phi = \frac{X_C - X_L}{R}$$
 or $\tan \left(\frac{\pi}{4}\right) = \frac{\frac{1}{\omega C} - \omega L}{R}$

$$R = \frac{1}{\omega C} - \omega L$$
 or $(R + 2\pi f L) = \frac{1}{2\pi f C}$ or

$$C = \frac{1}{2\pi f \left(R + 2\pi f L \right)}$$

34) Ans: **D)** 32P₁

Sol: For an adiabatic process

 $PV^{\gamma} = constant \ or \ P_1V_1^{\gamma} = P_2V_2^{\gamma}$

For monatomic gas $\gamma = \frac{5}{3}$

$$\therefore P_1 V_1^{5/3} = P_2 \left(\frac{V_1}{8}\right)^{5/3} \Rightarrow P_2 = P_1 \times \left(2\right)^5 = 32P_1$$

35) Ans: **B)** $V_2 > V_1$

Sol: From the graph,

$$\theta_2 > \theta_1 \Rightarrow \tan \theta_2 > \tan \theta_1 \Rightarrow \left(\frac{T}{P}\right)_2 > \left(\frac{T}{P}\right)_1$$

Also from PV = $\mu\,\text{RT}, \ \frac{T}{P} \varpropto V \Rightarrow V_2 > V_1 \,.$

36) Ans: **B)** 16×10^{-11} Sol: By using, eE = mg

$$\Rightarrow e = \frac{mg}{E} = \frac{16 \times 10^{-6} \times 10}{10^{6}} = 16 \times 10^{-11} \ C.$$

37) Ans: **B)** 75 joule

Sol: Work done, $W = \frac{1}{2} Fl = \frac{1}{2} \times Mg \times 1$

$$\Rightarrow = \frac{1}{2} \times 5 \times 10 \times 3 = 75 \text{ J}$$

38) Ans: **C)** both (1) and (2).

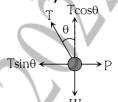
39) Ans: **D)** 12.5×10^{-2} m

Sol: From the given problem,

 $6 \times 10^{-2} \times \text{Circumference} = \text{Force}$

:. Circumference =
$$\frac{75 \times 10^{-4}}{6 \times 10^{-2}} = 12.5 \times 10^{-2} \text{ m}$$

40) Ans: **C)**
$$T = P + W$$



Sol:

As the metal sphere is in equilibrium under the effect of three forces therefore, $\vec{T} + \vec{P} + \vec{W} = 0$ From the figure, $T\cos\theta = W$...(i)

 $T \sin \theta = I \dots (ii)$

By solving the equations (i) and (ii), we get, $P = W \tan \theta$ and $T^2 = P^2 + W^2$

41) Ans: **C)**
$$2 \times 10^4 \text{ cm}^2$$

Sol: Here,
$$P_1 = P_2 \Rightarrow \frac{F_1}{A_1} = \frac{F_2}{A_2}$$

$$\Rightarrow \frac{10^7}{10^2} = \frac{2000 \times 10^3 \times 10^3}{A_2}$$

$$A_2 = 2 \times 10^4 \text{ cm}^2 \text{ (g} = 980 \approx 10^3 \text{ cm} / \text{s}^2\text{)}$$

42) Ans: **D)**
$$-(6\hat{i}+5\hat{j}+2\hat{k})$$

Sol: The electric field \vec{E} and potential V in a region are related as $\vec{E} = -\left[\frac{\partial V}{\partial x}\hat{i} + \frac{\partial V}{\partial y}\hat{j} + \frac{\partial V}{\partial z}\hat{k}\right]$

Here, V(x,y,z)=6xy-y+2yz

$$\therefore \vec{E} = -\left[\frac{\partial}{\partial x} \left(6xy - y + 2yz\right)\hat{i} + \frac{\partial}{\partial y} \left(6xy - y + 2yz\right)\hat{j} + \frac{\partial}{\partial z} \left(6xy - y + 2yz\right)\hat{k}\right]$$

$$\begin{split} &= - \Big[\big(6y \big) \hat{i} + \big(6x - 1 + 2z \big) \hat{j} + \big(2y \big) \hat{k} \Big] \\ &\text{at point } (1, \ 1, \ 0), \\ &\vec{E} = - \Big[\big(6 \big(1 \big) \big) \hat{i} + \big(6 \big(1 \big) - 1 + 2 \big(0 \big) \big) \hat{j} + \big(2 \big(1 \big) \big) \hat{k} \Big] \\ &= - \big(6 \hat{i} + 5 \hat{j} + 2 \hat{k} \big) \end{split}$$

43) Ans: **B)** 1.76×10^{11} coulomb / kg

Sol: In this case,

$$\frac{e}{m} = \frac{1.6 \times 10^{-19}}{9.1 \times 10^{-31}} \Rightarrow \frac{e}{m} = 1.76 \times 10^{11} \text{C} / \text{kg}$$

44) Ans: **C)** Statement 1 is true but statement 2 is false.

Sol: The manner in which the two coils are oriented, determines the coefficient of coupling between them. i.e. $M = K^2 \cdot L_1 L_2$

The coefficient of coupling is maximum, when the two coils are wound on each other, and thus mutual inductance between the coil is maximum.

45) Ans: **D)** All molecules have same speed Sol: Molecules of an ideal gas move randomly with different speeds.

46) Ans: **A)** 5.2×10^3 N

Sol: Given, u = 250 m/s, v = 0, s = 0.12 metre

and
$$F = ma = m \left(\frac{u^2 - v^2}{2s} \right) = \frac{20 \times 10^{-3} \times (250)^2}{2 \times 0.12}$$

$$\therefore$$
 F = 5.2×10³ N

47) Ans: **A)** 6562 Å, 4863 Å

Sol: We have
$$\frac{1}{\lambda} = R \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right]$$
.

For first wavelength, $n_1=2$, $n_2=3 \Rightarrow \lambda_1=6562$ Å For second wavelength, $n_1=2$, $n_2=4$ $\Rightarrow \lambda_2=4863$ Å

48) Ans: **B)** 1.5%

Sol: From the problem orbital radius is increased by 1% is given and time period of satellite $T \propto r^{3/2}$.

 \therefore Percentage change in time period = $\frac{3}{2}$ (%

change in orbital radius) = $\frac{3}{2}(1\%) = 1.5\%$

49) Ans: **D)** 40 J

Sol: From given problem,
$$\Delta Q = \Delta U + \Delta W$$

 $\Rightarrow \Delta U = \Delta Q - \Delta W = 150 - 110 = 40 \text{ J}$

50) Ans: **A)** 8T

Sol: Here,
$$\frac{T_1}{T_2} = \left(\frac{R_1}{R_2}\right)^{3/2}$$

Thus, from given
$$\Rightarrow \frac{T_1}{T_2} = \left(\frac{R}{4R}\right)^{3/2} \Rightarrow T_2 = 8T_1$$